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(you can call me "Mike")

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Physics 194 - Lecture 15

Welcome!

Have a question during class? Please ask it right away, even if it means interrupting in the middle of a thought. I want you to!

Agenda

- Standing waves + resonant frequencies
- Sound intensity
- The Doppler effect

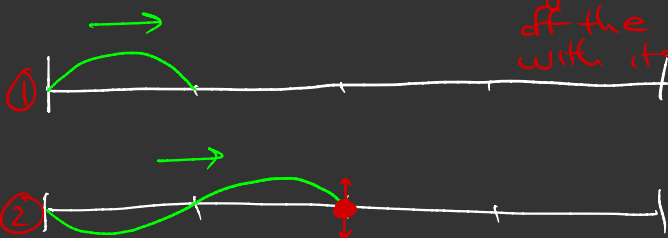
Class
starts
@2:15 pm

String instruments

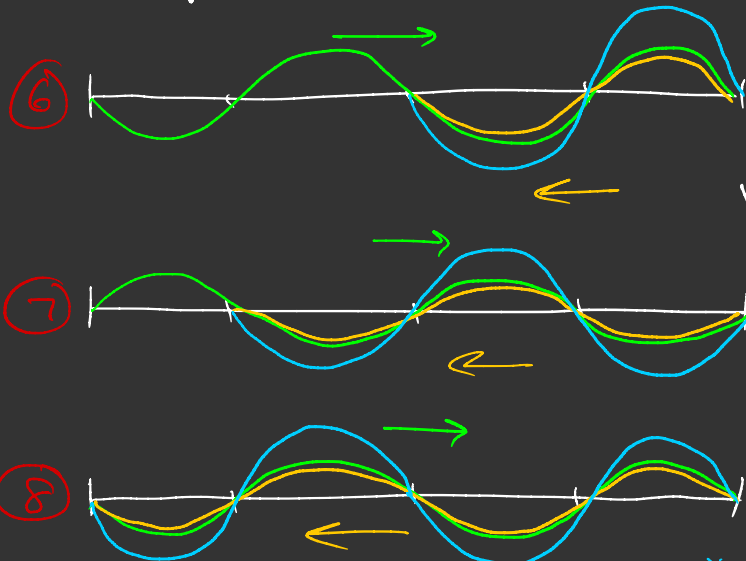
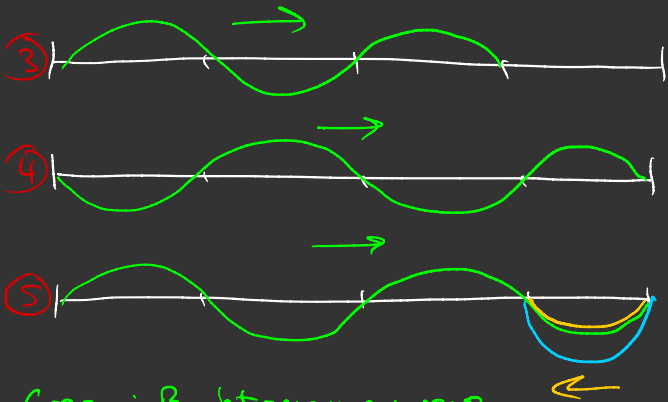
① through ⑧ is a wave traveling rightward on a string, then reflecting off the right end and overlapping with itself to form a standing wave.

$$v = \frac{\lambda}{T} = \lambda f$$

v → wave speed
 T → period of vibration of the string
 f → frequency of the vibrating string



This is one wavelength, λ . As the single ^{wavelength} travels through the • that point on the vibrating string completes a single cycle up & down. That takes one period T in time to happen.

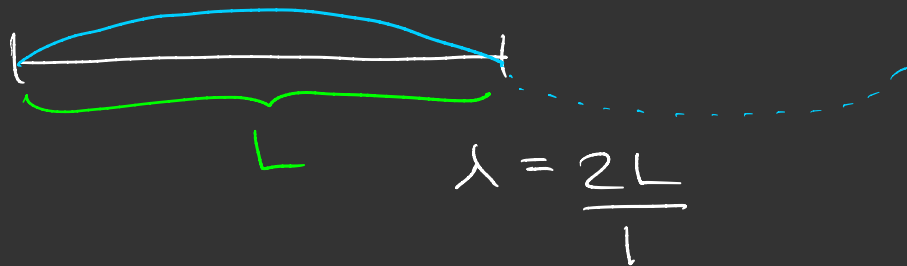
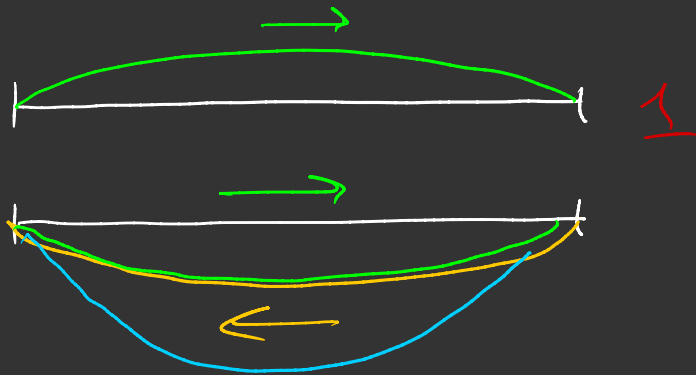


$$v = \sqrt{\frac{F_{max}}{\mu}}$$

Green: Right-moving wave

Yellow: Left-moving wave

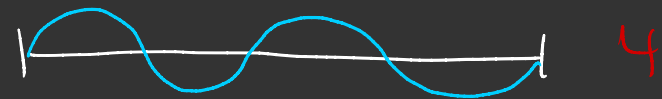
Blue: Superposition of green & yellow, a standing wave vibrating in place. The "note" you hear.



$$\lambda = L = \frac{2L}{2}$$



$$\lambda = \frac{2}{3}L$$



$$\lambda = \frac{1}{2}L = \frac{2L}{4}$$

$$v = \lambda f \Rightarrow f = \frac{v}{\lambda}$$

$$\lambda = \frac{2L}{n}$$

$$n = 1, 2, 3, \dots$$

$$f = \frac{v}{2L/n} = \frac{v}{2L} n \quad n \leftarrow 1, 2, 3, \dots \quad v = \sqrt{\frac{F_{max}}{\mu}}$$

\uparrow
 m/L

$$f_n = \frac{v}{2L} n$$

↑
resonant
frequencies

GT: You notice that your guitar is out of tune and is producing frequencies that are too low. What should you do? Explain!

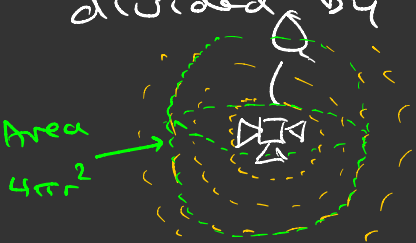
Sound intensity

Intensity is the power output of a sound source divided by the area that power spreads out over.

$$P = 1000 \text{ W}$$

Units of intensity are W/m^2

$$I = \frac{P}{A} = \frac{P}{4\pi r^2}$$



Decibel scale:

$$I_0 = 10^{-12} \text{ W/m}^2 \quad \text{Threshold of human hearing.}$$

$$\beta = (10 \text{ dB}) \log_{10} \left(\frac{I}{I_0} \right)$$

$$I_{\text{max}} = 10 \text{ W/m}^2 \quad \text{ouch!}$$

↑
sound
intensity
level

$$I_{\text{city traffic}} = 10^{-4} \text{ W/m}^2$$

$$\beta_{\text{city traffic}} = (10 \text{ dB}) \log_{10} \left(\frac{10^{-4} \text{ W/m}^2}{\underbrace{10^{-12} \text{ W/m}^2}_{10^8}} \right)$$

$$= (10 \text{ dB}) \underbrace{\log_{10}(10^8)}_{=8}$$

$$= 80 \text{ dB}$$

Doppler effect : When there's relative speed between the sound source (s) and the observer (o) the observed frequency will be different than the source frequency.

$$f_o = f_s \left(\frac{v \pm v_o}{v \pm v_s} \right)$$

v : Sound speed
 v_o : Speed of observer relative to the medium.
 v_s : Speed of the source relative to the medium.



Numerator: If \vec{V}_o points toward the source, choose the upper sign (+). Choose (-) otherwise.

Denominator: If \vec{U}_s points towards the observer, choose the upper sign (-). Choose (+) otherwise.